



ISTITUTO ITALIANO
DI TECNOLOGIA
PATTERN ANALYSIS
AND COMPUTER VISION



UNIVERSITÀ
di **VERONA**

Dipartimento
di **INFORMATICA**

AIDA Course

Domain Adaptation and Generalization

Vittorio Murino, Pietro Morerio

April 8, 2022

Credits

- Tutorial by Pietro Morerio and Massimiliano Mancini
- Some slides are courtesy of Prof. Elisa Ricci and Dr. Riccardo Volpi
- Other material is referred in the corresponding slides

Outline

Session 1 - Introduction (1h)

- What is domain adaptation and why do we need it?
- The domain shift issue in vision
- Domain shift - formal statement
- Common Domain Adaptation scenarios
- Classical methods and benchmarks

Session 2 - Recent Methods (Deep learning) (1h)

- Adversarial DA
- Image translation methods
- Feature alignment/confusion
- Batchnorm-based methods
- Pseudo-labeling (TODO)

Outline

Session 3 - Beyond Domain Adaptation (1h)

- Source Free UDA (TODO)
- Domain Discovery
- Continuous DA
- Predictive DA
- Validation issues in Unsupervised Domain adaptation

Session 4 - Domain generalization (1h)

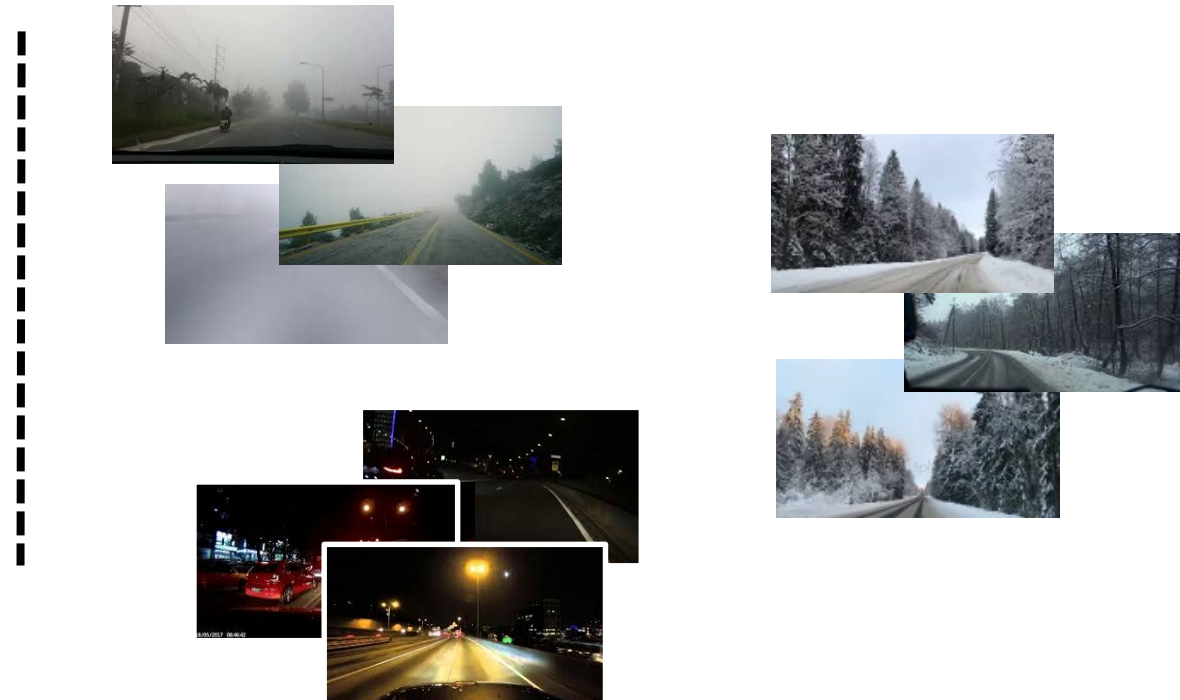
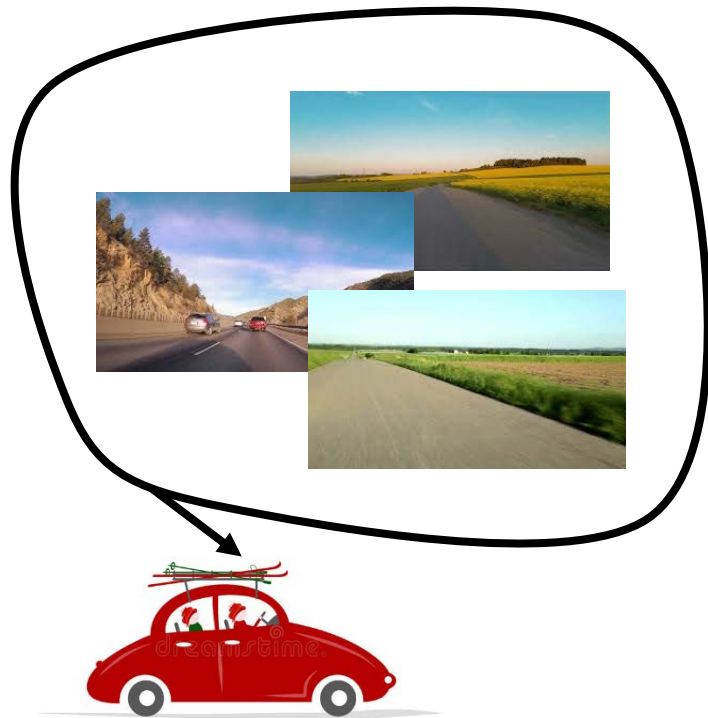
- A more challenging problem
- Single source domain generalization
- Other issues
- Conclusions

Session 4

Domain Generalization

Problem formulation

Each dataset carries its own bias [1], and models trained on it result biased, too.



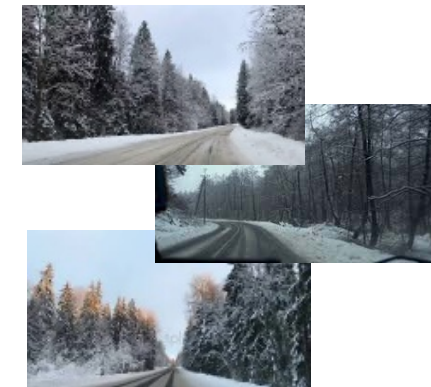
[1] A. Torralba and A. Efros. Unbiased Look at Dataset Bias. CVPR11.

Domain adaptation

Domain adaptation has been the main strategy to bridge the gap between source and target distributions.

Assumptions: we can fix *a priori* a target distribution and we are able to sample from it.

Source



Domain adaptation

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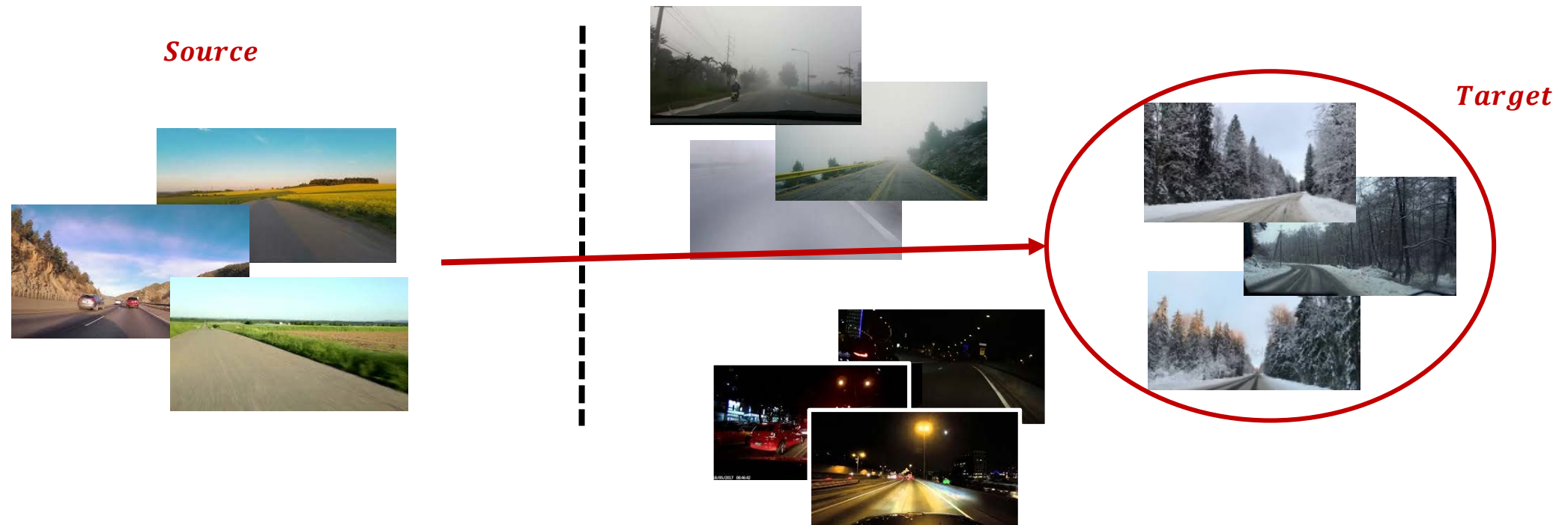
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Assumptions: we can fix *a priori* a target distribution and we are able to sample from it.



Generalising to unseen domains

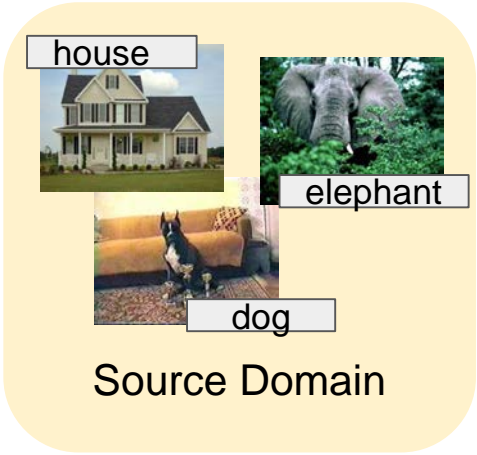
Goal: generalizing to unseen domains using data from a single source.



Domain Generalization (DG)

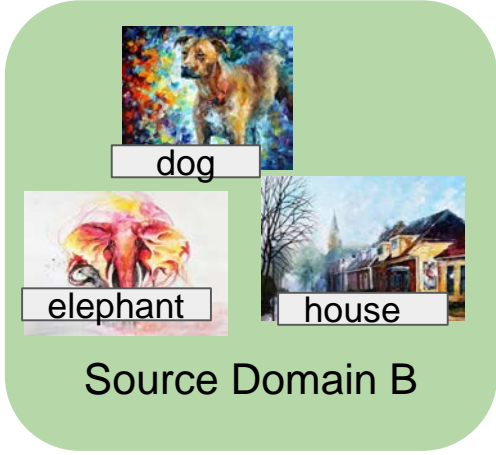
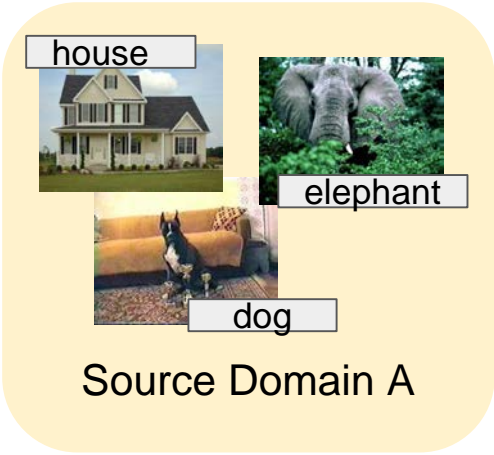
Domain Adaptation:

Given a one or multiple source domains for which we have labeled data, we want to find a model able to generalize to a target domain for which few or no labeled data are available during training.



Domain Generalization:

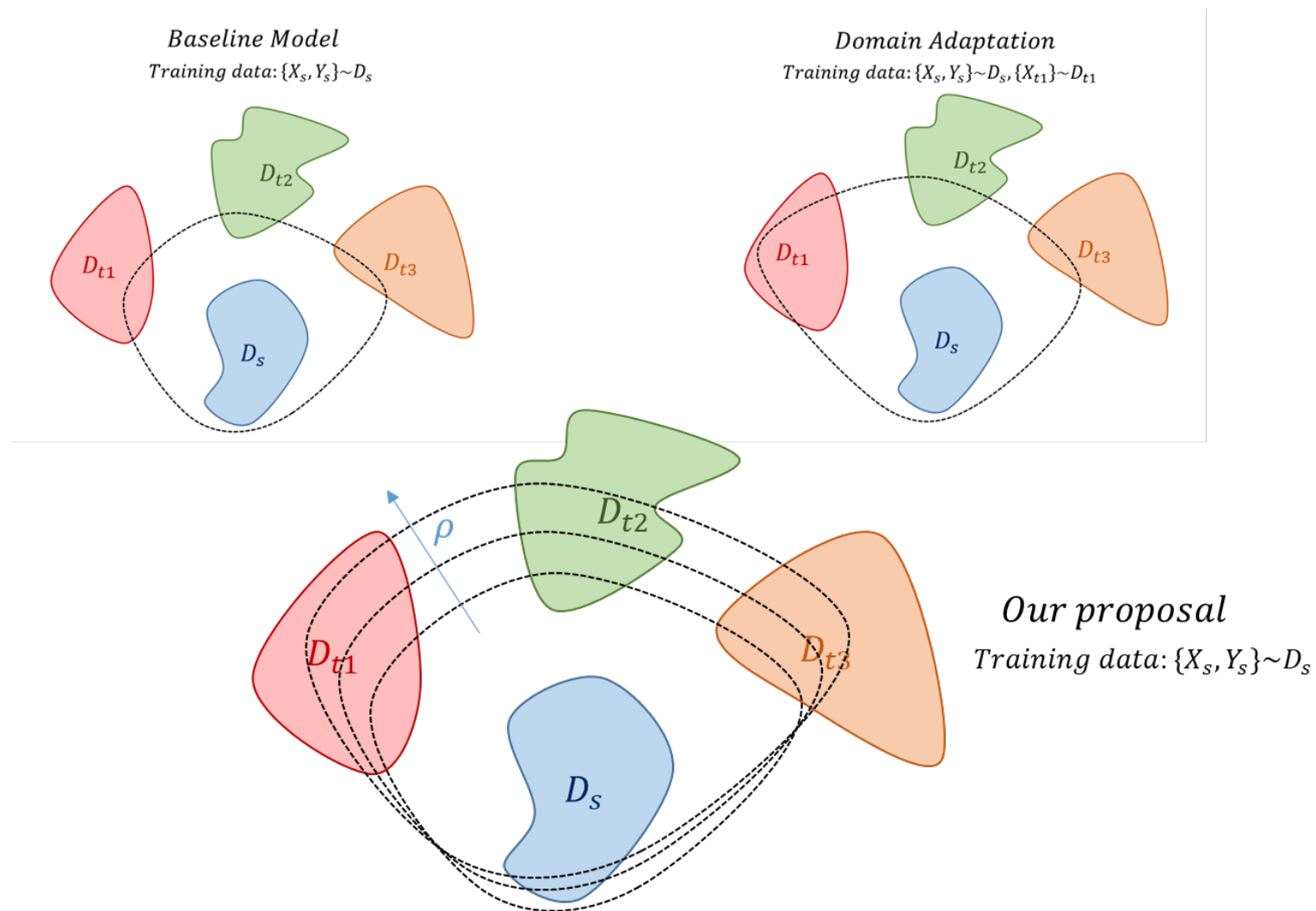
Given a set of multiple labeled source domains, we want to find a model able to generalize to any target domain for which no data are available during training:



Training
Test



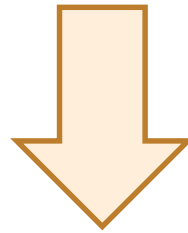
Generalising to unseen domains



Locating the work ...

Robust statistics

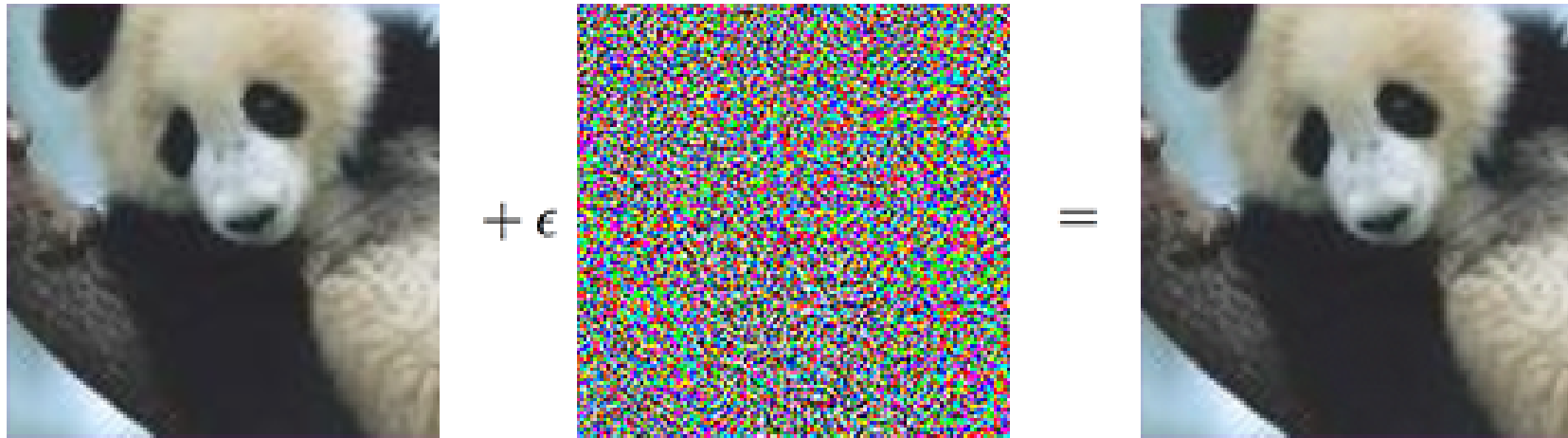
$$\min_w E_{x,y \sim p'} \left\{ l(y, f(x; w)) \right\}$$



$$\min_w \max_{p' \text{ st. } \Delta(p', p_{source}) \leq \delta} E_{x,y \sim p'} \left\{ l(y, f(x; w)) \right\}$$

Locating the work ...

Defense against adversarial samples

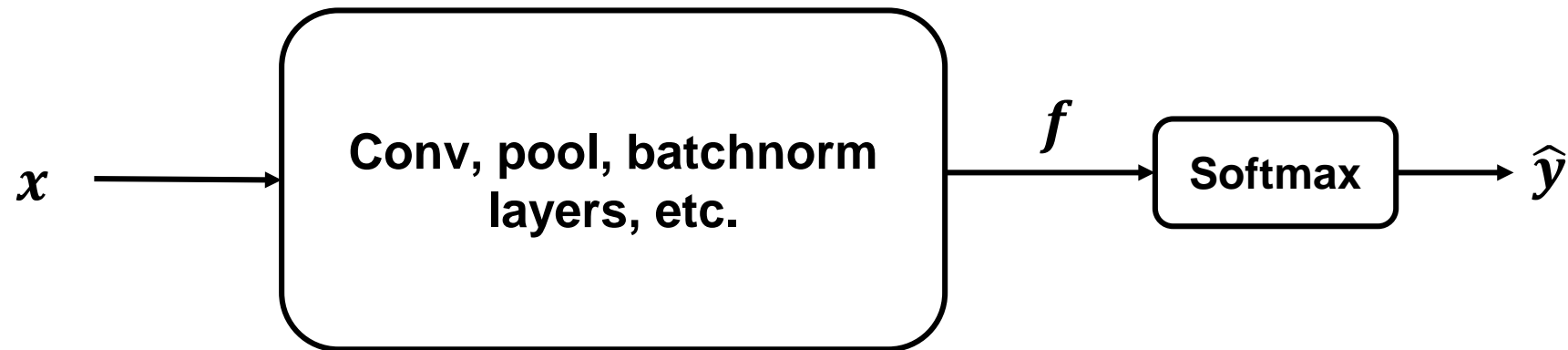


“panda”
57.7% confidence

“gibbon”
99.3% confidence

Locating the work ...

Defense against adversarial samples



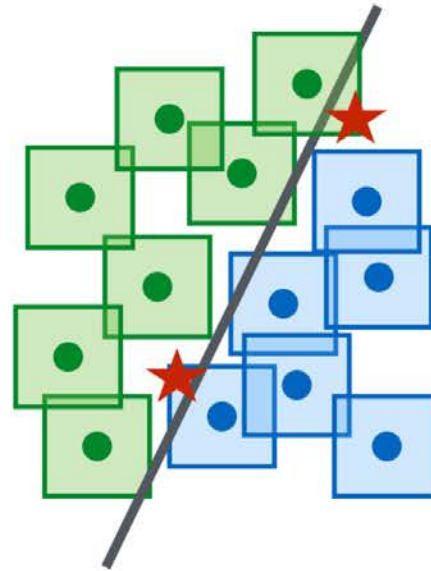
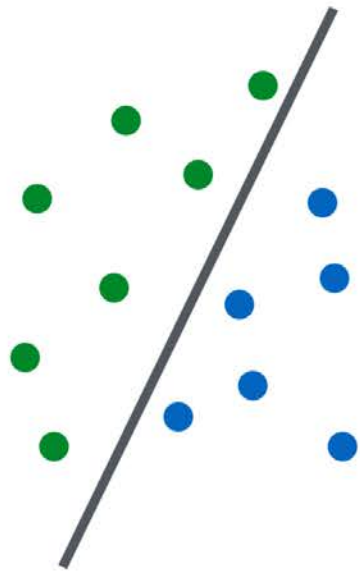
Locating the work ...

Defense against adversarial samples

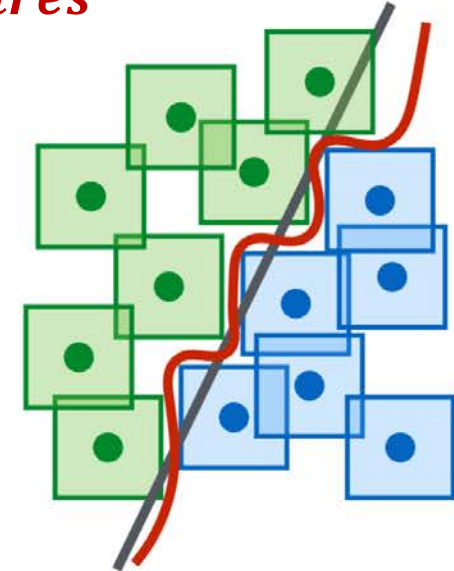


Locating the work ...

Defense against adversarial samples (pic from Madry et al.)



l^∞ ... squares



Locating the work ...

Defense against adversarial samples



Locating the work ...

Defense against **perturbations in the feature space**, which – in high capacity networks – approximates a semantic space



Method formulation (from robust statistics)

Distributionally robust optimization

$$\underset{\theta \in \Theta}{\text{minimize}} \sup_P \{ \mathbb{E}_P[\ell(\theta; (X, Y))] : D_\theta(P, P_0) \leq \rho \}$$

We consider the Lagrangian relaxation [17]

$$\underset{\theta \in \Theta}{\text{minimize}} \sup_P \{ \mathbb{E}_P[\ell(\theta; (X, Y))] - \gamma D_\theta(P, P_0) \}$$

Defining the surrogate loss ϕ_γ

We finally have:

$$\nabla_\theta \phi_\gamma(\theta; (x_0, y_0)) = \nabla_\theta \ell(\theta; (x_\gamma^*, y_0))$$

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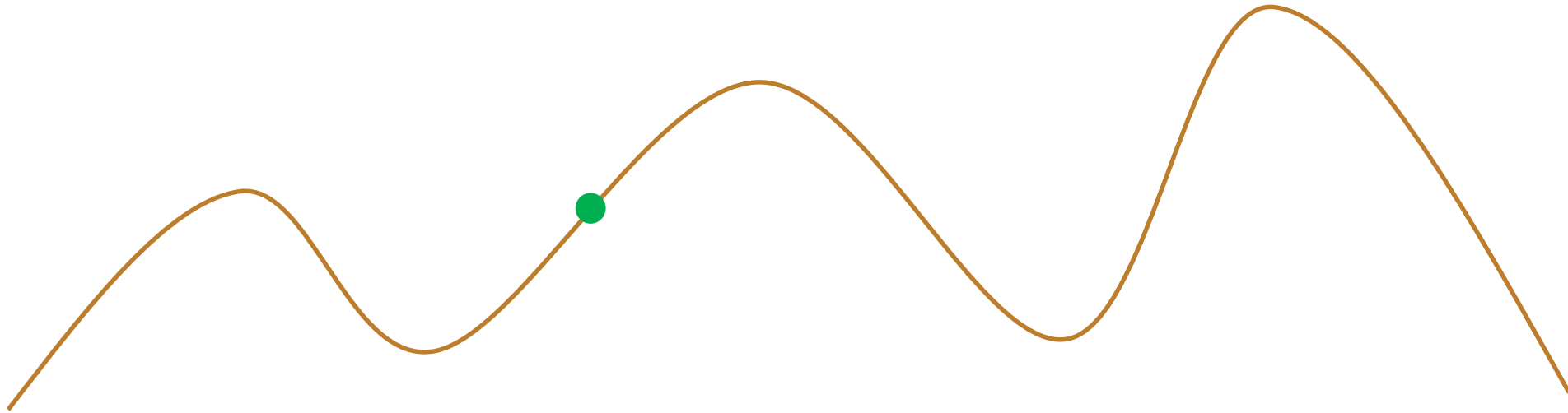
We finally have:

$$\nabla_\theta \phi_\gamma(\theta; (x_0, y_0)) = \nabla_\theta \ell(\theta; (x_\gamma^*, y_0))$$

Computed by gradient ascent over the surrogate loss. c is a distance

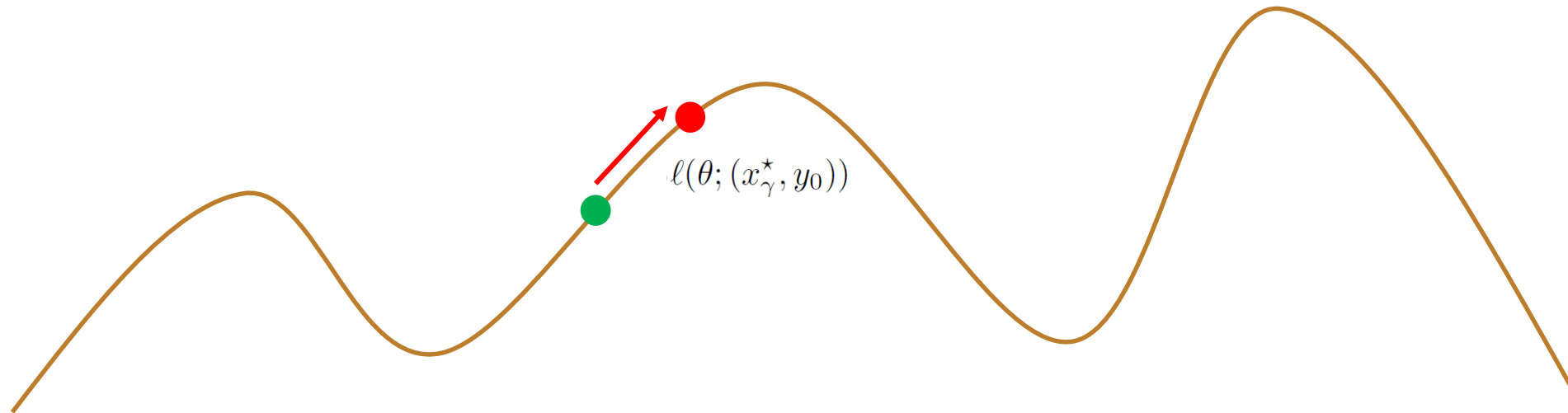
$$x_\gamma^* = \arg \max_{x \in \mathcal{X}} \{ \ell(\theta; (x, y_0)) - \gamma c_\theta((x, y_0), (x_0, y_0)) \}$$

‘Long-story short’



$$\nabla_{\theta} \phi_{\gamma}(\theta; (x_0, y_0)) = \nabla_{\theta} \ell(\theta; (x_{\gamma}^*, y_0))$$

‘Long-story short’

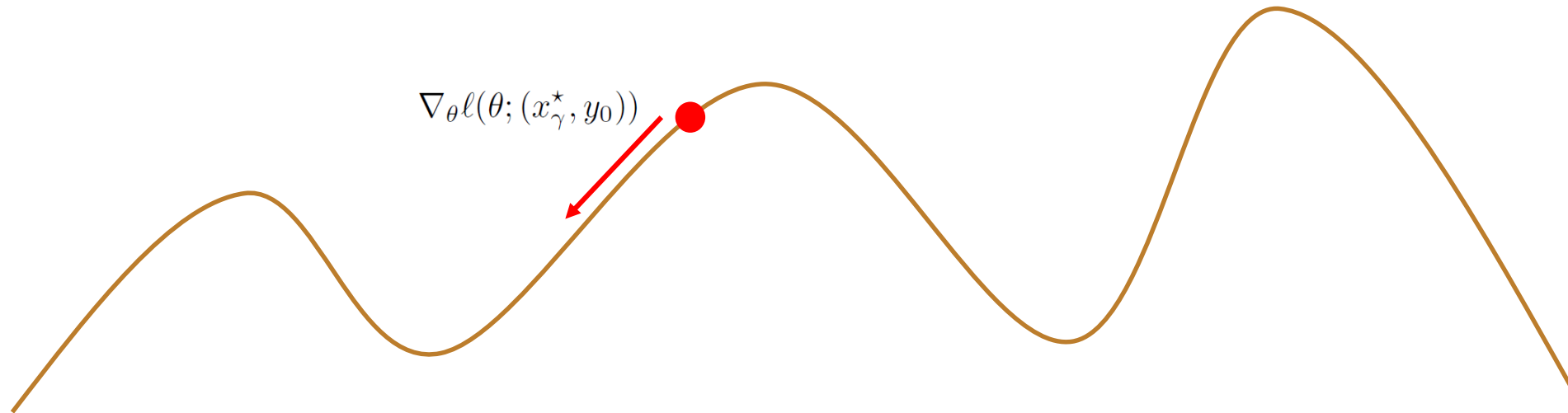


Gradient ascent



$$\nabla_{\theta} \phi_{\gamma}(\theta; (x_0, y_0)) = \nabla_{\theta} \ell(\theta; (x_{\gamma}^*, y_0))$$

‘Long-story short’



$$\nabla_{\theta} \phi_{\gamma}(\theta; (x_0, y_0)) = \nabla_{\theta} \ell(\theta; (x_{\gamma}^*, y_0))$$

Gradient descent

Adversarial Data Augmentation

Algorithm:

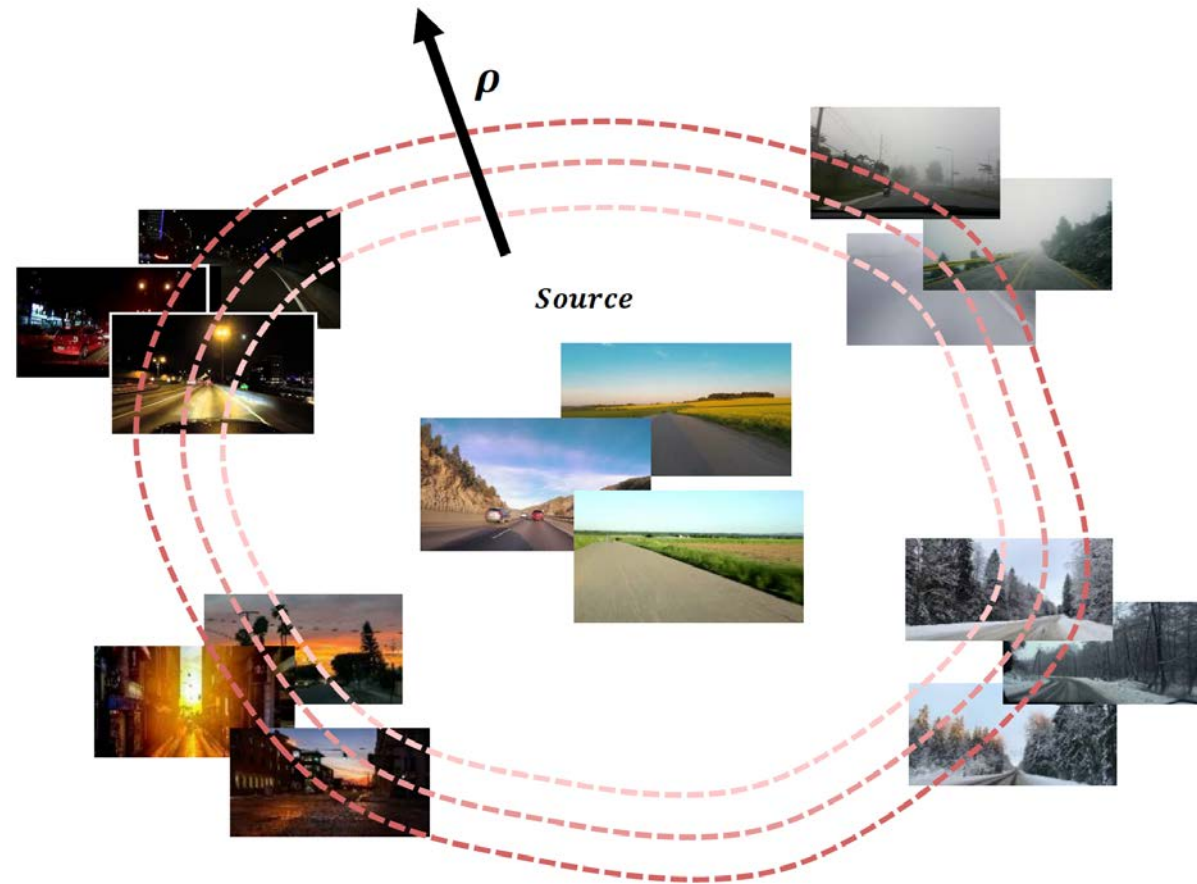
Input: model θ and dataset D

For K iterations:

1. Update θ via stochastic gradient descent
2. Generate perturbed samples and append them to D

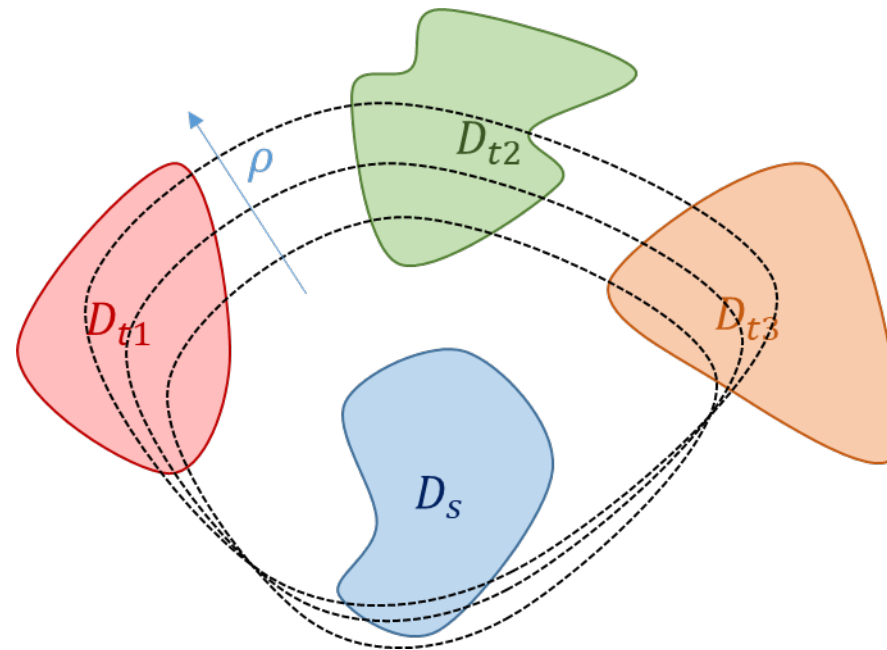
Update θ via stochastic gradient descent until convergence

Adversarial Data Augmentation



The ‘unknown-domain’ problem

We don't know the target domain, thus it is difficult to set ρ

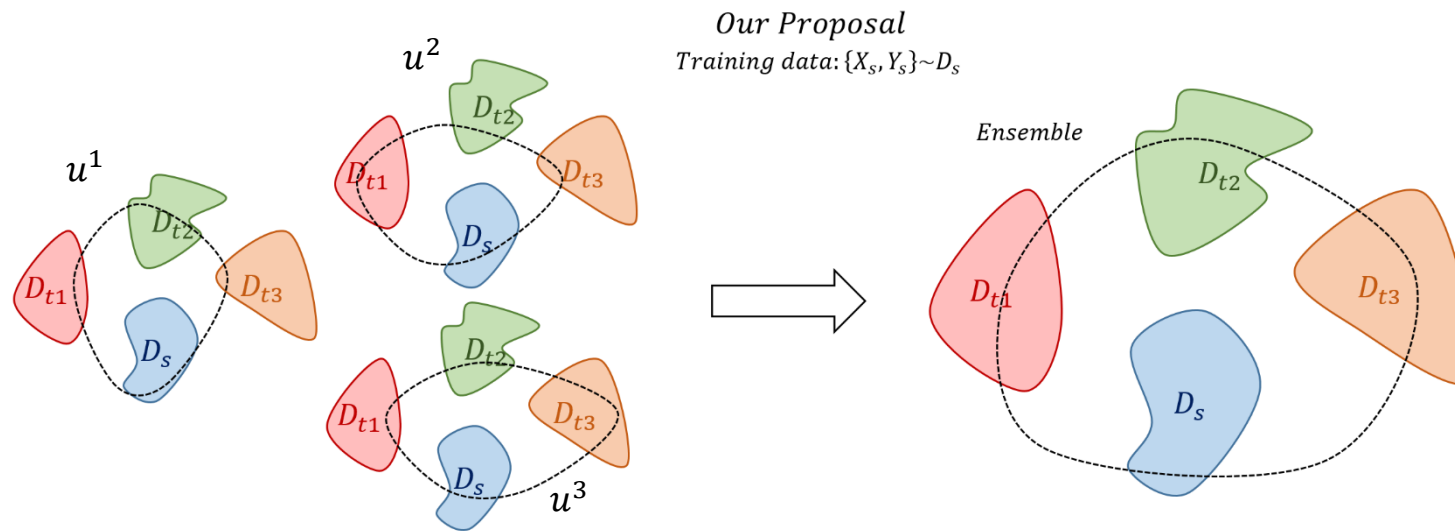


Our proposal
Training data: $\{X_s, Y_s\} \sim D_s$

The ‘unknown-domain’ problem

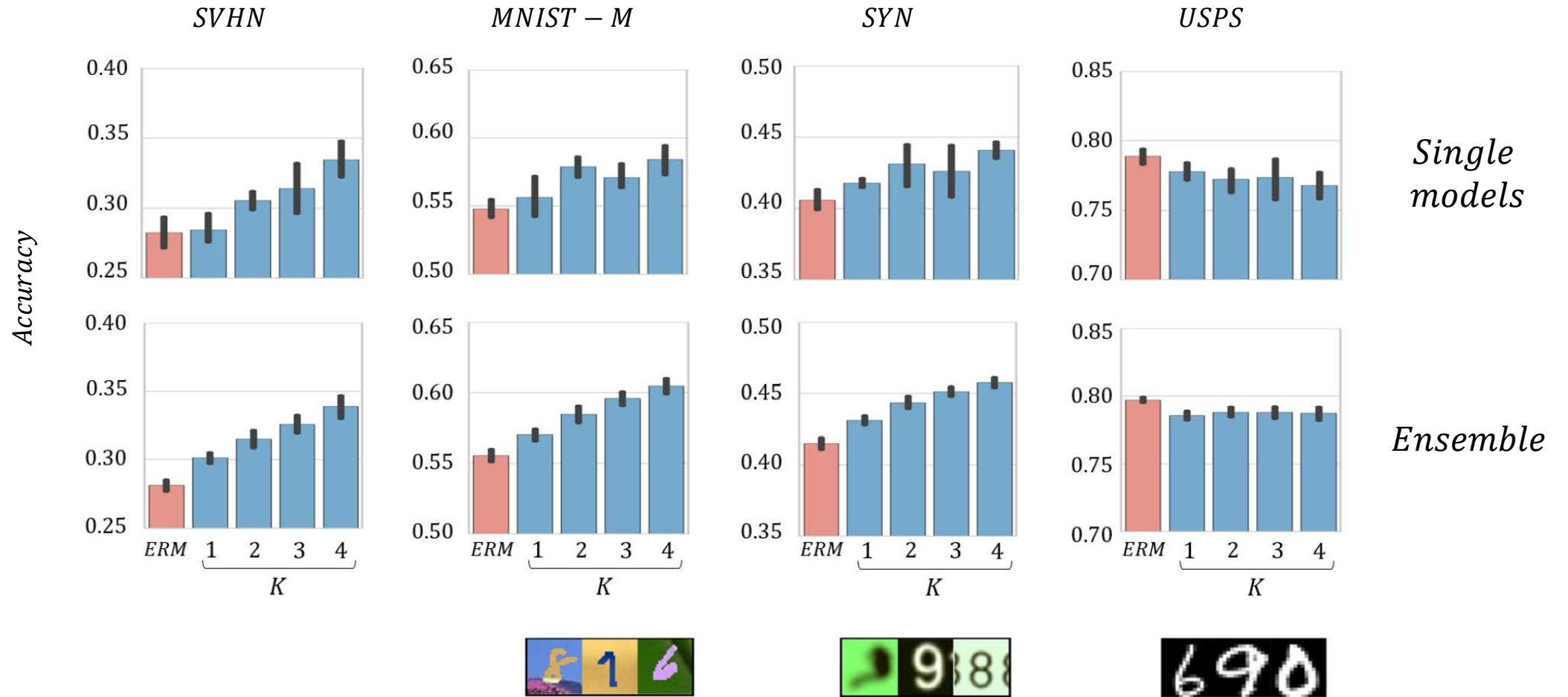
We don't know the target domain, thus it is difficult to set ρ

→ **ENSEMBLE APPROACH**



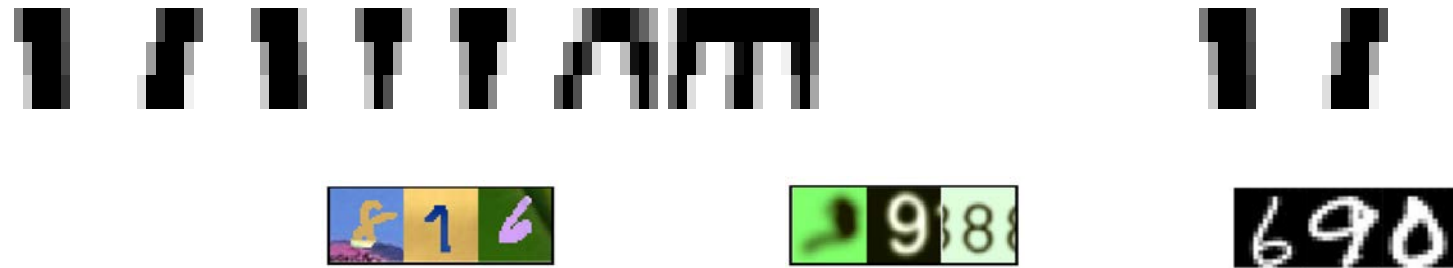
$$u^*(x) := \arg \max_{1 \leq u \leq s} \max_{1 \leq j \leq k} \underbrace{\theta_{c,j}^{u \top} g(\theta_f^u; x)}_{\text{softmax}}$$

Results – Digits



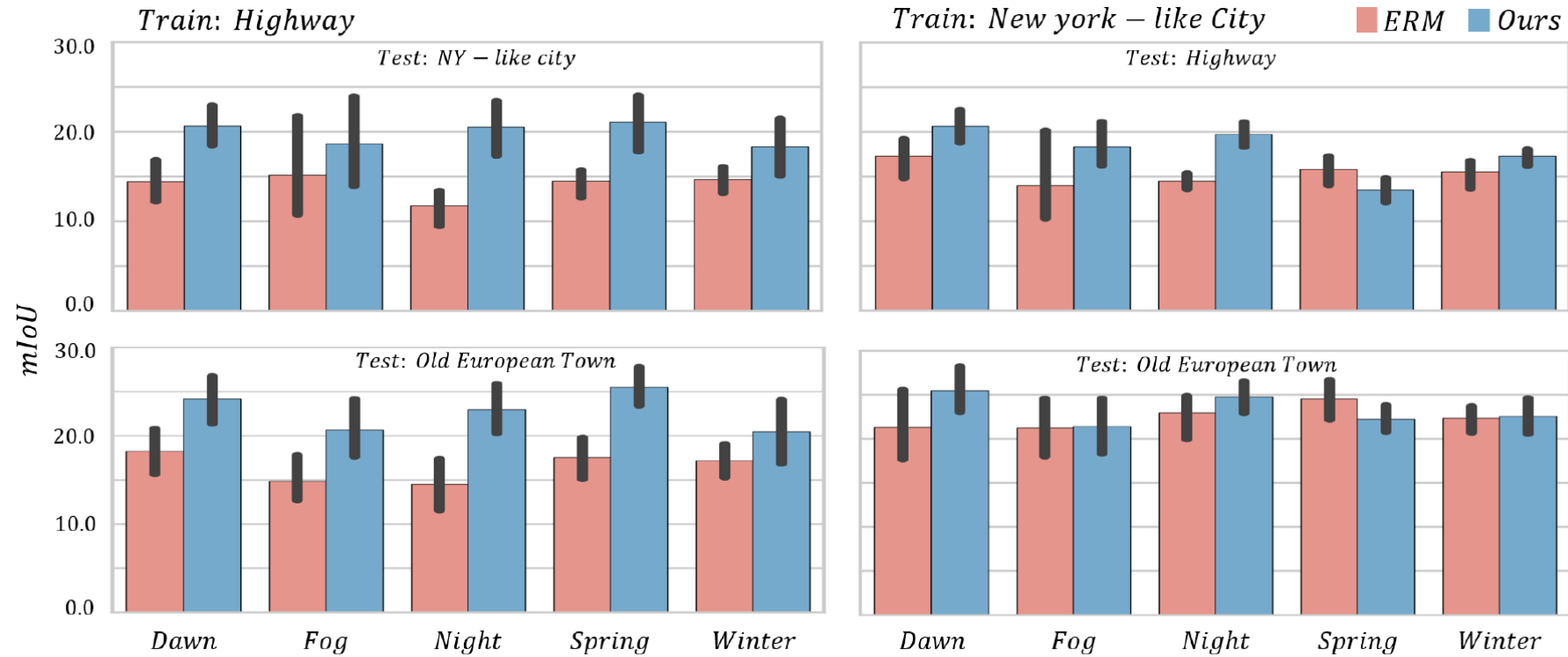
Results – Digits

Accuracy



Results

SYNTHIA dataset



SPRING



NIGHT



WINTER



Wrapping up ...

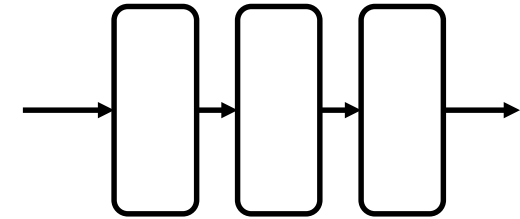
To recap ... a standard situation

- Your data (set), your model



+

(your favorite neural net)



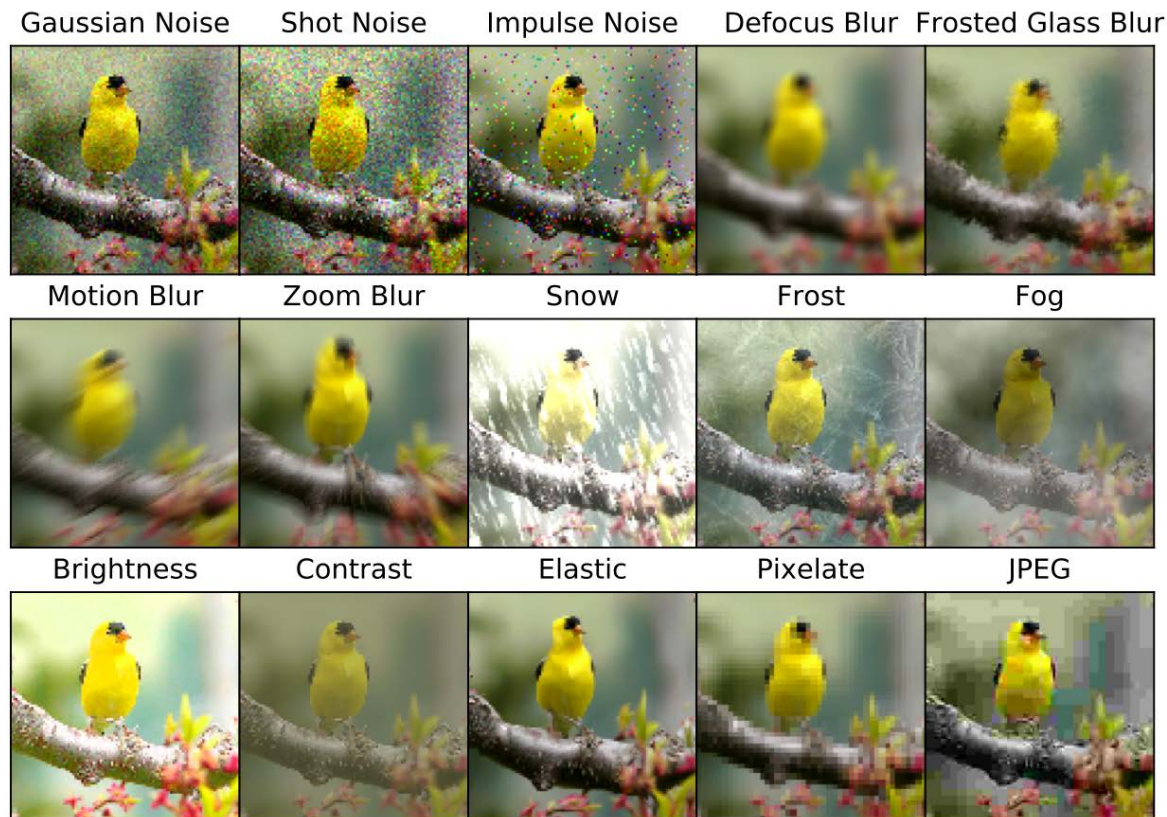
 PyTorch
 TensorFlow

But then... corruption (lack of) robustness

BENCHMARKING NEURAL NETWORK ROBUSTNESS TO COMMON CORRUPTIONS AND PERTURBATIONS

Dan Hendrycks
University of California, Berkeley

Thomas Dietterich
Oregon State University



mCE	Clean Error
53.6%	24.2%
56.5%	17.90%
63%	23.9%
64.9%	21.2%
65.3%	22.47%
69.3%	25.41%
74.3%	24.5%
76.7%	23.85%

But then ... texture bias in DNNs

IMAGENET-TRAINED CNNs ARE BIASED TOWARDS
TEXTURE; INCREASING SHAPE BIAS IMPROVES
ACCURACY AND ROBUSTNESS

Robert Geirhos
University of Tübingen & IMPRS-IS

Claudio Michaelis
University of Tübingen & IMPRS-IS

Felix A. Wichmann*
University of Tübingen

Patricia Rubisch
University of Tübingen & U. of Edinburgh

Matthias Bethge*
University of Tübingen

Wieland Brendel*
University of Tübingen



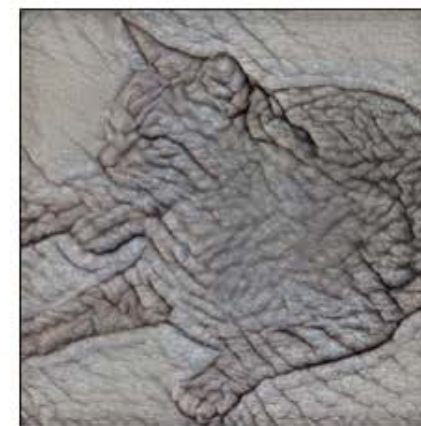
(a) Texture image

81.4%	Indian elephant
10.3%	indri
8.2%	black swan



(b) Content image

71.1%	tabby cat
17.3%	grey fox
3.3%	Siamese cat



(c) Texture-shape cue conflict

63.9%	Indian elephant
26.4%	indri
9.6%	black swan

But then ... dataset bias/domain shift

- Each dataset carries its own *bias*, and models trained on it result *biased*, too.

Training set

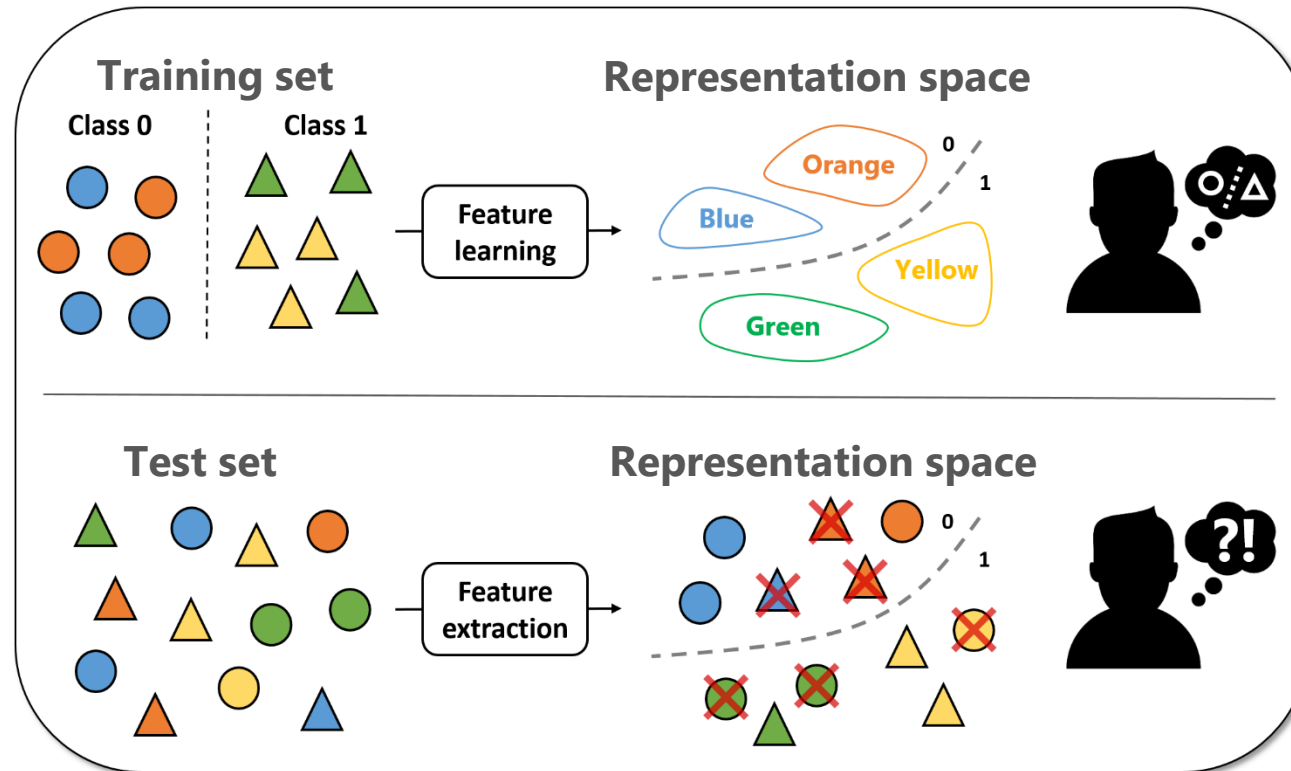


Test set



But then ... dataset bias/domain shift

- Each dataset carries its own *bias*, and models trained on it result *biased*, too.



But then ... adversarial samples

EXPLAINING AND HARNESSING ADVERSARIAL EXAMPLES

Ian J. Goodfellow, Jonathon Shlens & Christian Szegedy
Google Inc., Mountain View, CA



x

“panda”
57.7% confidence

+ .007 ×



$\text{sign}(\nabla_x J(\theta, x, y))$

“nematode”
8.2% confidence

=



$x + \epsilon \text{sign}(\nabla_x J(\theta, x, y))$
“gibbon”
99.3 % confidence

Modern machine learning models

Something to keep in mind (among many other things)

- Data greedy
- Vulnerabilities against domain shifts
- Dataset bias
- Human bias
- Vulnerabilities against adversarial samples

Problem formulation(s)

Empirical Risk Minimization

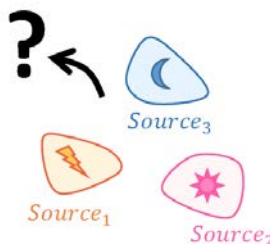
Training data

$$\{x, y\} \sim P_{source}$$

Multi-source Domain Generalization

Training data

$$\{(x, y, d)\} \sim P_{source}$$



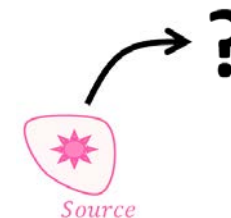
(sim2real)

(corruption robustness)

Single-source Domain Generalization

Training data

$$\{(x, y)\} \sim P_{source}$$

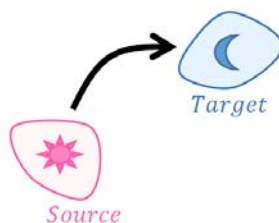


(sim2real)

Unsupervised Domain Adaptation

Training data

$$\{(x, y)\} \sim P_{source}, \{x\} \sim P_{target}$$



Fair/Unbias representations

Training data

$$\{(x, y, s)\} \sim P_{source}$$

(s is a sensitive attribute)

(s is a biased attribute)

Thanks for the attention